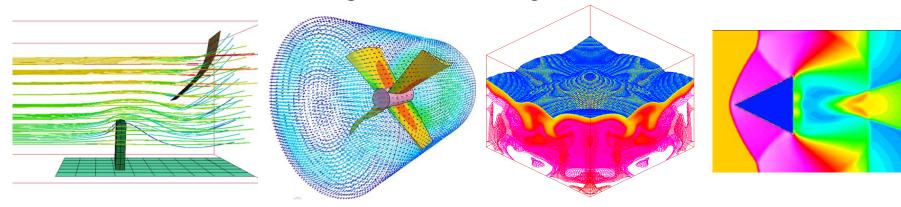


Compressible CFD (CESE) Module Presentation

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Introduction and applications



Characteristics

- Double precision.
- Second order Explicit.
- 2D and 2D axisymmetric solver / 3D solver.
- FSI available for 3D solver.
- SMP and MPP versions available.
- Dynamic memory handling.
- New set of keywords starting with *CESE for the solver.
- Automatically coupled with LS-DYNA solid and thermal solvers.
- Coupled with the R7 chemistry and stochastic particle solver (*CHEM and *STOCHASTIC).



CESE method main advantages

A unified treatment of space and time.

(By the introduction of conservation element (CE) and solution element (SE), the conservation of scheme is always maintained in space and time, locally and globally).

- A novel shock capturing strategy without using a Riemann solver.
- High accuracy.

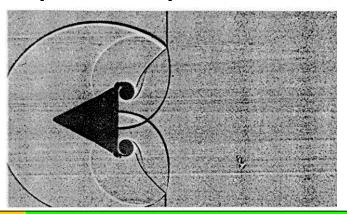
(Both flow variables and its spatial derivatives are solved simultaneously).

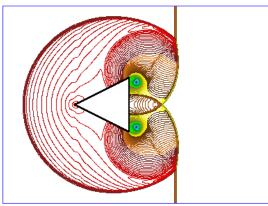


Supersonic shock wave capturing:

Experimental picture:

Numerical result:







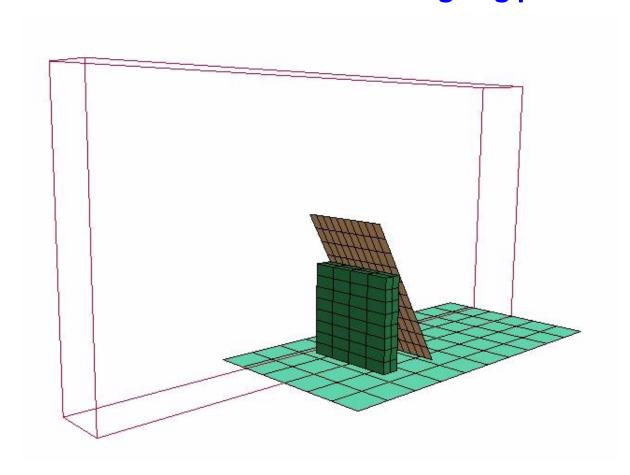
Flow structure of supersonic jets from conical nozzles (shock diamonds):

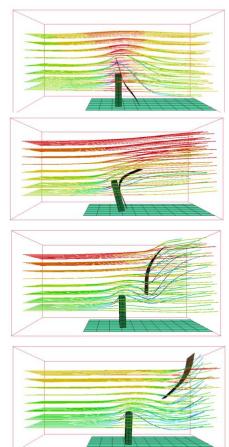
Courtesy of Kazuya Yamauchi of Lancemore Corporation, Japan:





3D FSI waving flag problem:

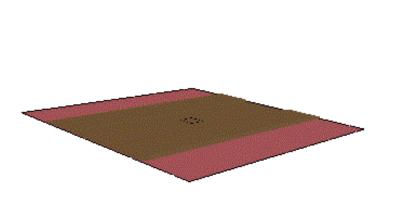


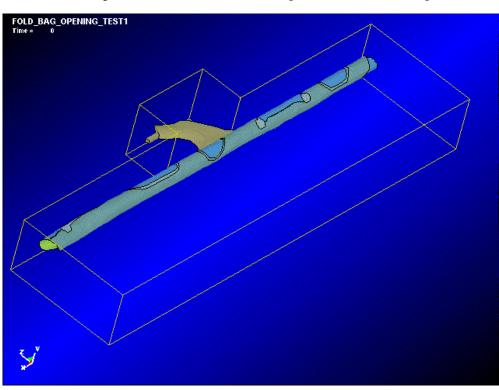




Airbag applications:

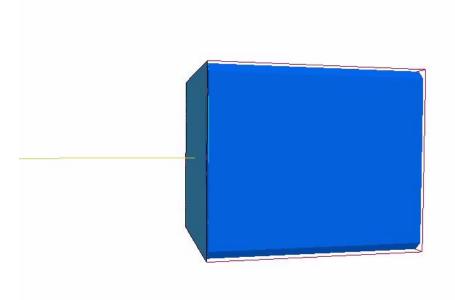
Courtesy of TAKATA corporation, Japan:

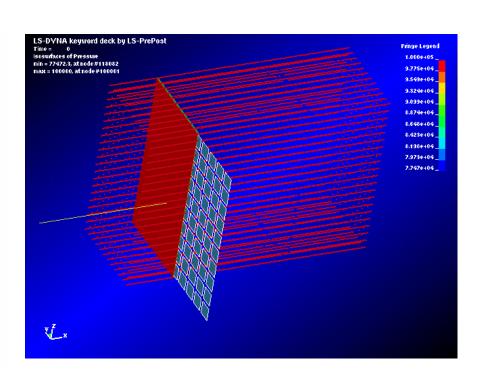






Piston type applications with or without moving mesh:



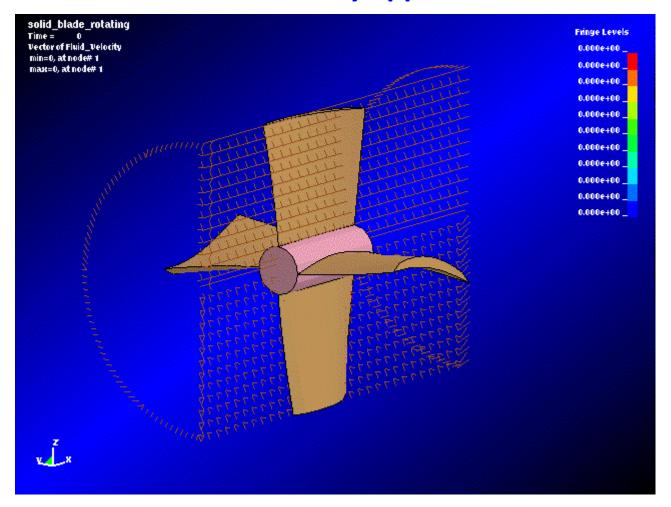


Moving mesh

Embedded mesh



Turbomachinery applications:





Can be coupled with Chemistry solver (beta) for Chemical reactions at hypersonic speeds:

Detailed reaction model.

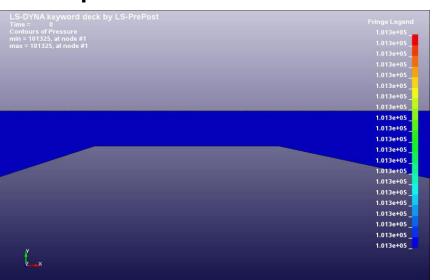
5 species: O2,,N2,O,N,NO

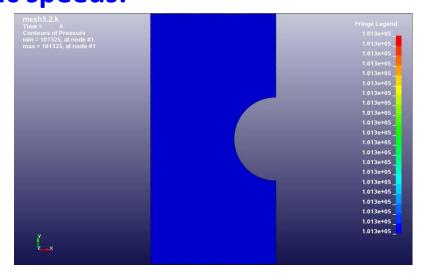
11 reaction steps

Initial mixture:

O2 + 3.76N2

N-S equation solver:



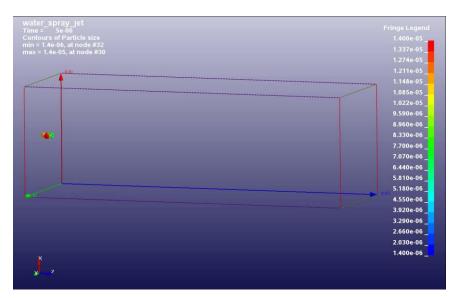


Blunt body: hypersonic inflow at Ma =7 & 600 K

Ramped duct: hypersonic inflow at Ma = 4 & 500 K

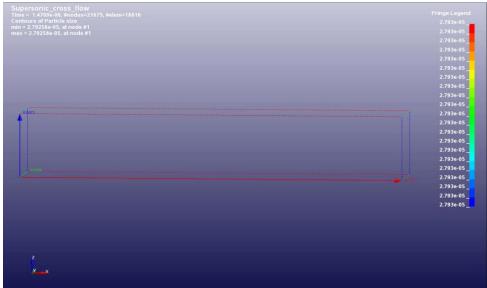


Spray and particle dispersion (beta):



Water spray jet

Supersonic cross flow





	CESE:	ICFD:	ALE:
Low speed aerodynamics (turbulence)	-	✓	-
High speed aerodynamics (shock waves)	√	-	-
Explosions using JWL EOS or similar	-	-	√
Airbags-Pistons	✓	-	✓
Free surface problems (slamming)	-	√	√
FSI capabilities	✓	✓	✓
Chemistry reactions	✓	-	-
Stochastic particles	✓	-	-

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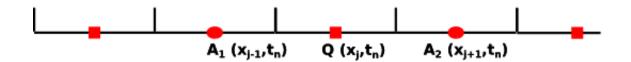


The CESE scheme

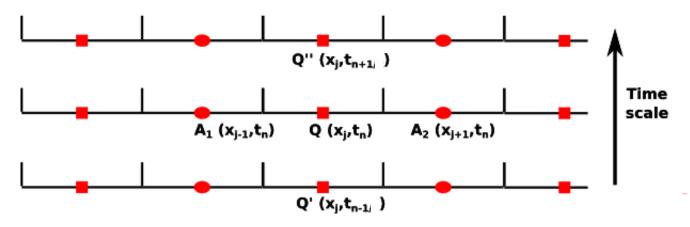


1D Convection equation:
$$\frac{\partial u}{\partial t} + a \frac{\partial u}{\partial x} = 0$$

Step 1 : Element discretization :



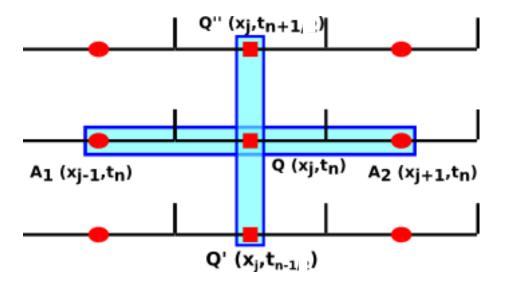
• Step 2: Expansion in the time dimension (time acts as an additional spatial dimension). Euclidian Space $E_2(x,t)$:





- Step 3 : Definition of a SE :
 - Along the SE domain, the flow variable will be approximated by a Taylor series :

$$u^{*}(x,t) = u_{q}(x,t) + \frac{\partial u_{q}}{\partial x}(x - x_{q}) + \frac{\partial u_{q}}{\partial t}(t - t_{q})$$



The time and spatial derivatives can be related by using the flow convection-diffusion equation (Euler for perfect flows, N.S for viscous flows, in our case the convection equation : $\frac{\partial u_q}{\partial t} = -a \frac{\partial u_q}{\partial x}$) so that only $u_q(x,t)$ and its spatial derivative $\frac{\partial u_q}{\partial x}$ remain as unknowns to solve.



- Step 4 : Integral form of convection equation :
 - For the CESE scheme, since the Euclidian space is of dimension n+1 through the introduction of time as a spatial coordinate, it is possible to define a flux h such as:

$$\iiint\limits_V \nabla h.\,dV = \iint\limits_{S(V)} \boldsymbol{h}.\,d\boldsymbol{s} = 0$$

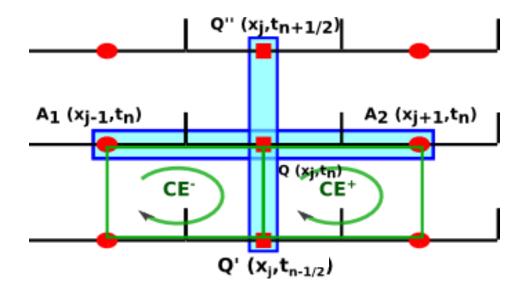
With **h.ds** now representing the **space time flux** of **h** leaving the Volume V though the surface element ds. In the present case $d\mathbf{s} = (dx, dt)$ and $\mathbf{h} = (au, u)$.

 By using careful choice for the construction of a conservation element, the CESE scheme permits the conservation of the solution both spatially and temporarily.



- Step 4 : Definition of a CE:
 - The spate-time integral equation for flow conservation along the lines formed by a CE gives:

$$\oint_{S(CE^{\pm})} \vec{h}_m^* \cdot d\vec{s} = 0$$



■ CE- and CE+ yield two equations for the two unknowns $u_q(x,t)$, $\frac{\partial u_q}{\partial x}$ function of quantities expressed between j-1 and j+1 and n-1. This allows for the solving of the complete system.



CESE method summary

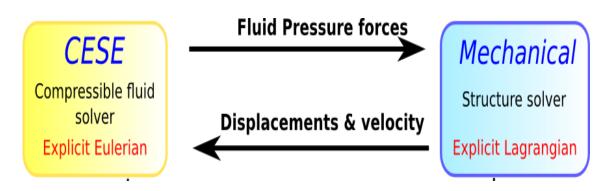
- Solving of integral form of the fluid equations. Integration on Space-time domain (CE): space-time local and global conservation of the solution.
- Flow variables AND their derivatives are solved simultaneously
 highly accurate second order scheme
- SE used to advance through time.
- No need for further treatment for shock waves (No Riemann solver)



FSI resolution steps



- For the FSI interaction, a loose coupling method is used where the
 Lagrangian embedded structure passes displacement and nodal
 velocities information to the fluid solver which in turn, communicates back
 pressure forces that act as exterior loads on the structure.
- For the Fluid-structure interface tracking, a quasi constraint method is used.
- Since both meshes are independent, the interface will be tracked automatically and the FSI problem treated without any input from the user's perspective.

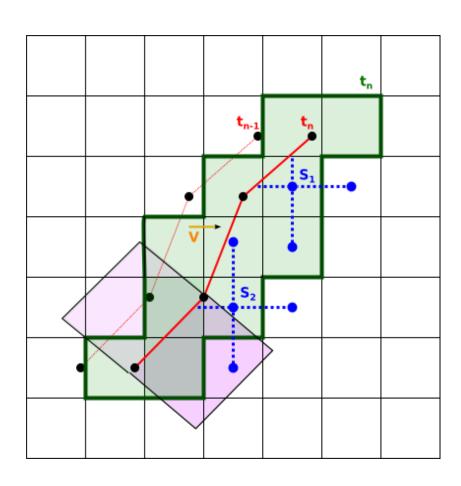




- It is usually recommended to use a finer mesh for the fluid rather than the solid.
- No leakage can occur.
- Since both the CESE solver and the solid mechanics LS-DYNA solver can run as stand alones, both have their own timestep bounded by their own CFL condition.
- For FSI problems, the fluid solver will track those two timesteps and use the smallest of the two for both domains.
- Moving mesh capabilities exist for special types of FSI problems (pistons).



- Step 1: Lagrangian embedded structure moves through fluid mesh and communicates nodal displacements to the fluid.
- Step 2: Eulerian fluid performs a sorting procedure in order to determine which elements have at least one neighbor element that is "blocked" by the solid. Such neighbors will be treated as wall boundary conditions.
- Step 3: Fluid solver will track which fluid elements are close to it, compute an average pressure and use it as an exterior pressure load applied to it.





Thank you for your attention

Questions?



